

HW answers:

26) (a) $\mu_{X-20} = 60$

$$\sigma_{X-20} = 12$$

(b) $\mu_{0.5Y} = 6$

$$\sigma_{0.5Y} = 1.5$$

(c) $\mu_{X+Y} = 92$

$$\sigma_{X+Y} = 12.37$$

(d) $\mu_{X-Y} = 68$

$$\sigma_{X-Y} = 12.37$$

(e) $\mu_{Y1+Y2} = 24$

$$\sigma_{Y1+Y2} = 4.2$$

27) (a) $\mu_{0.8Y} = 240$

$$\sigma_{0.8Y} = 12.80$$

(b) $\mu_{2X-100} = 140$

$$\sigma_{2X-100} = 24$$

(c) $\mu_{X+2Y} = 720$

$$\sigma_{X+2Y} = 34.18$$

(d) $\mu_{3X-Y} = 60$

$$\sigma_{3X-Y} = 39.40$$

(e) $\mu_{Y_1+Y_2} = 600$

$$\sigma_{Y_1+Y_2} = 22.63$$

15) (a) $E(X) = 1.7$

(b) $SD(X) = 0.90$ **per hour**

31) $\mu_{X+X+X+X+X+X+X+X} = 13.6$

$\sigma_{X+X+X+X+X+X+X+X} = 2.546$

35) (a) there is a large variation (spread) in the amount of claims. Most claims are small (minor house damage), however there are also very large claims (major house damage).

$$(b) \mu_{X+X} = 150 + 150 = \mathbf{\$300}$$
$$\sigma_{X+X} = \sqrt{(6000^2) + (6000^2)} = \mathbf{\$8485.28}$$

$$(c) \mu_{X+X + \dots X+X} = 10,000 * (150) = \mathbf{\$1,500,000}$$
$$\sigma_{X+X + \dots X+X} = (6000^2) + (6000^2) + \dots = \sqrt{10,000(6000^2)} = \mathbf{\$600,000}$$

(d) yes, the company is likely to be profitable. If the company writes 10,000 policies, then we can expect 95% of the profits to be within $\mu \pm 2\sigma = (\$300,000, \$2,700,000)$. This is profitable.

(e) We assumed that each policy must be independent